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The Complete Photo-electric Emission
from Potassium.



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THE COMPLETE PHOTO-ELECTRIC EMISSION FROM
POTASSIUM

ABSTRACT

This thesis is in two parts, the first portion of which describes experiments which were carried out to detect a positive photo-electric emission from potassium. The result of these was that if such an emission occurs it is of the order of 10^{-7} times the negative emission at most, i.e. a thousand times as small as the value found by Dember, who claimed to have definite evidence of a photo-electric effect.

The major portion concerns the two or more threshold frequencies of potassium. A brief historical account is given ending with the work of Richardson and Young in which they predict for the sensitised potassium surface a threshold at 10,000 AU and another at 30,000 AU. Precautions were taken to obtain a clean surface in a high vacuum; the apparatus being of a form which made the saturation of the photo-electric currents easy and the potassium was subjected to approximately black body radiation. Using Richardson's formula for the saturated currents $C = AT e^{-\frac{b}{\lambda}}$, the work functions, b , and the corresponding threshold frequencies were determined. The values of the frequencies found were 7,100 A.U., 10,000 A.U., 21,000 A.U. A tentative explanation is given of certain Hysteresis phenomena which were observed.

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The COMPLETE PHOTO-ELECTRIC EMISSION FROM POTASSIUM

The earlier part of the experimental work described in this thesis was undertaken with the purpose of detecting a positive photo-electric emission from potassium, if any such emission actually occurs. The experiments indicate that any positive emission from the metal under the influence of light is so small that it is doubtful whether it occurs at all.

The later and major portion of the thesis is devoted to an investigation of the photo-electric (negative) emission from the metal under the influence of black body radiation. The experiments indicate the existence of at least two work functions whose values and the associated threshold frequencies have been determined.

SOME POSITIVE PHOTO-ELECTRIC EFFECT

Dember (Ann.d.Phys. 30) states that a cylinder surrounding a metal plate acquired a positive charge when the plate was illuminated with ultra violet light, a suitable field being applied and attributed this charging up to the emission of positive ions by the plate. Bär and Lucksinger (Phys. Zeitschr. 1921) working with small particles of paraffin and selenium in a Millikan electron apparatus found some particles become negatively charged when illuminated with ultra violet light. This so-called 'inverse' effect seems to point to photo-electric emission of positive particles, but it can also be accounted for, if some stray light is allowed to fall on metal parts in the apparatus, which give off photo-electrons to be picked up by the particles under examination. In neither of the above experiments were precautions taken to shield the metal parts from the stray short wave light. S. Taubes (Ann.D.Phys. VI 1925) found that when the condenser plates in the electron apparatus were coated with wax the 'inverse' effect did not appear, but with bare metal plates it did.

Du Bridge (*Phys. Rev.* Feb. 1925) also found that he could account for Dember's results by the effect of the ultra violet light on the cylinder itself. M. Hake (*Zeitschr. für Phys.* Band XV Heft 22 1923) worked with nineteen materials in an Ehrenhaft's form of Millikan's electron apparatus and found that metals show both effects, depending on the gas surrounding them and that insulators -glycerine- always show the inverse effect in gases. Wasser (*Zeitschr. für Phys.* Band 27 Heft 4 1924) finds that mercury drops in nitrogen and carbon-dioxide give the inverse effect when of certain sizes only (small). E.J. Lorentz (*Phil. Mag.* Vol. 1 1926) covers the same range of radii as the previous experimenter but cannot obtain the effect. He worked with fifty drops of oil of varying diameters in air, nitrogen, hydrogen, carbon-dioxide, oxygen and helium, fifty drops of glycerine in air, nitrogen, and hydrogen, and with fifty drops of mercury in air and nitrogen. In no one case did he notice the inverse effect, until the screens keeping the light off the plates were removed.

None of the above observers, however, have worked with the alkali metals, though if the positive photo-electric emission exists it seems, a priori, probable that these metals would exhibit the effect to a greater degree than other metals, ~~known to be much less active as regards the normal effect.~~ Also the recent observers, with the exception of ^{Du} Bridge, observed the behaviour of a certain number (say fifty) of drops of the substance. Dember, however, found that the positive current was of the order of 10^{-13} amps. as compared with a negative emission of 10^{-9} , so that the probability of a drop being charged negatively is 10^4 times as great as the probability of it picking up a positive charge. With only fifty drops being considered it would be possible to overlook the effect even if it did exist.

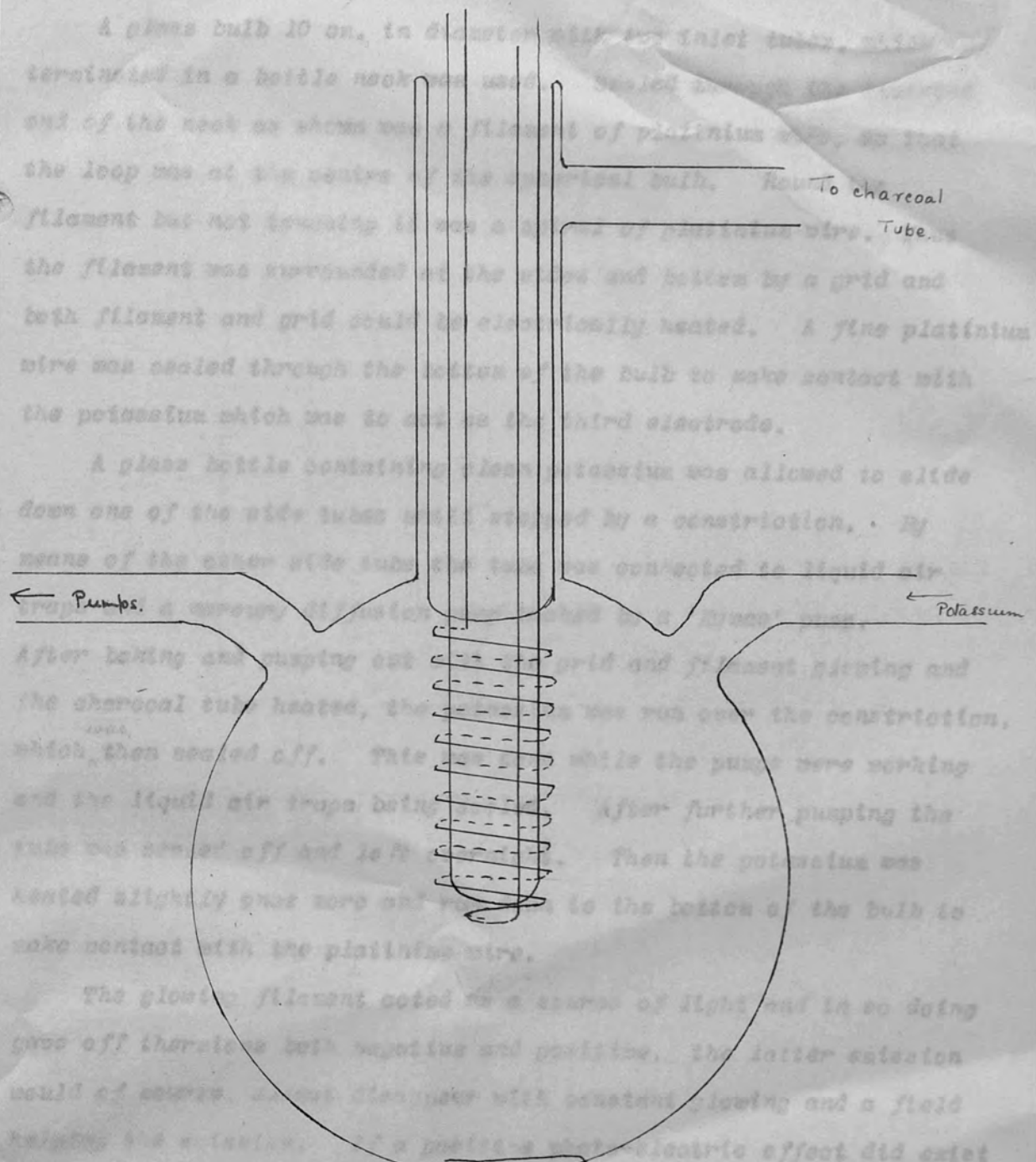
EXPERIMENTS ON THE POSITIVE PHOTO-ELECTRIC EFFECT

Diagram I

A glass bulb 10 cm. in diameter with a neck 2 cm. in diameter terminated in a bottle neck was used. The neck was drawn out and out of the neck as shown was a filament of platinum wire, so that the loop was at the center of the bulb. The filament was not drawn out but was drawn out at the neck and held by a grid and both filament and grid were electrically heated. A fine platinum wire was coiled through the neck of the bulb to make contact with the potassium which was to serve as the third electrode.

A glass bottle neck was allowed to slide down one of the side arms of the bulb by a constriction. By means of the side arm the bulb was connected to a pump. After having the pumping out the air and filament wiring and the charcoal tube heated, the constriction was cut off the constriction, which then sealed off. This was done while the pump was working and the liquid air traps being used. After further pumping the tube was sealed off and is left to the bottom of the bulb to make contact with the platinum wire.

The glowing filament acted as a source of light and in so doing gave off electrons both negative and positive. The latter emission would of course depend on the wavelength of the light and a field relative to the filament. A positive photoelectric effect did exist in the bulb as positive and negative photoelectric currents from both the platinum grid and the potassium. When the connections are arranged as shown in diagram I, the negative current flows from the grid and the positive from the potassium effect the quadrant electrometer. The grid is negative with respect to the potassium so that any electrons from the metal are turned back, while any positive particles from the potassium are attracted across to the grid leaving a negative charge



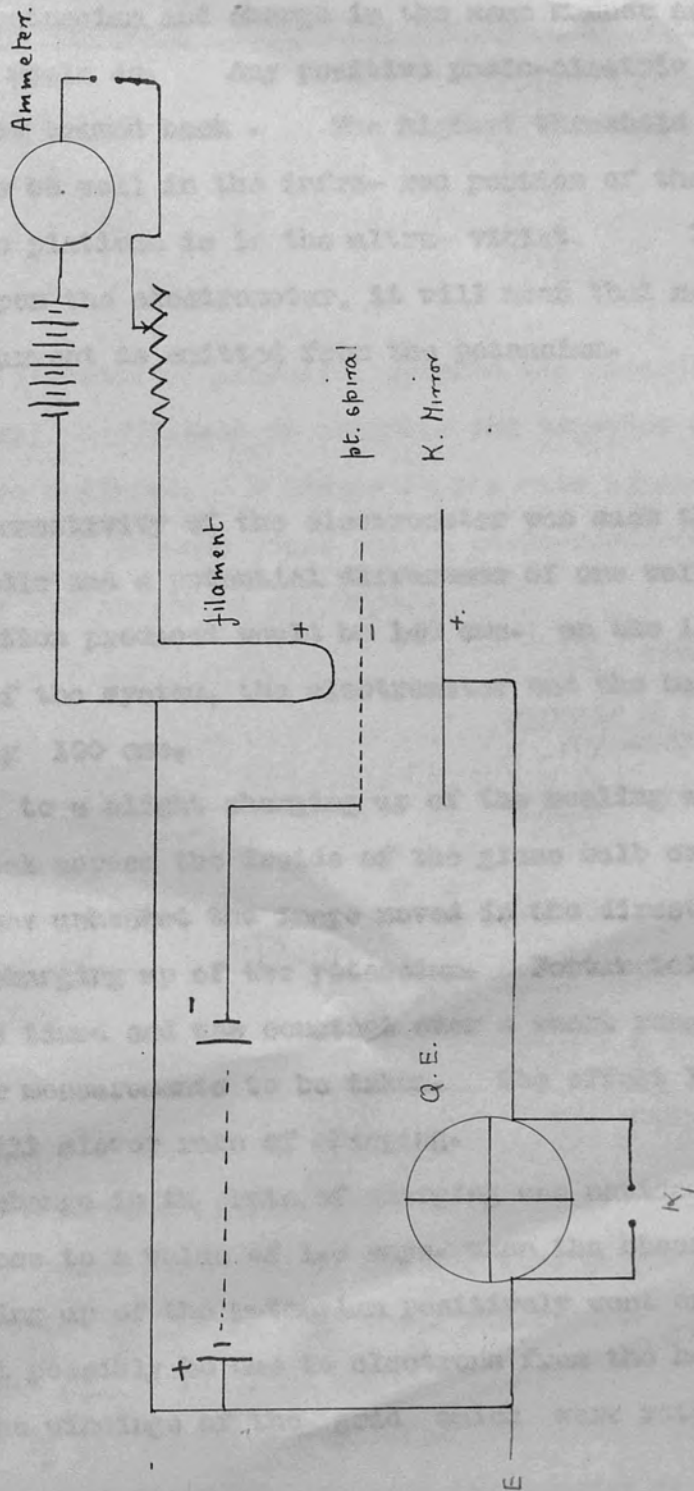
EXPERIMENTS ON THE POSITIVE PHOTO-ELECTRIC EFFECTApparatus used.

A glass bulb 10 cm. in diameter with two inlet tubes, which terminated in a bottle neck was used. Sealed through the inverted end of the neck as shown was a filament of platinum wire, so that the loop was at the centre of the spherical bulb. Round the filament but not touching it was a spiral of platinum wire. Thus the filament was surrounded at the sides and bottom by a grid and both filament and grid could be electrically heated. A fine platinum wire was sealed through the bottom of the bulb to make contact with the potassium which was to act as the third electrode.

A glass bottle containing clean potassium was allowed to slide down one of the side tubes until stopped by a constriction. By means of the other side tube the tube was connected to liquid air traps and a mercury diffusion pump backed by a 'Hyvac' pump. After baking and pumping out with the grid and filament glowing and the charcoal tube heated, the potassium was run over the constriction, which ^{was} then sealed off. This was done while the pumps were working and the liquid air traps being cooled. After further pumping the tube was sealed off and left overnight. Then the potassium was heated slightly once more and run down to the bottom of the bulb to make contact with the platinum wire.

The glowing filament acted as a source of light and in so doing gave off thermions both negative and positive, the latter emission would of course, almost disappear with constant glowing and a field helping the emission. If a positive photo-electric effect did exist there would be positive and negative photo-electric currents from both the platinum grid and the potassium. When the connections are arranged as shown in diagram 2, the negative current from the grid and the positive from the ^{potassium} ~~filament~~ alone affect the quadrant electrometer. The grid is negative with respect to the potassium so that any electrons from the metal are turned back, while any positive particles from the potassium are attracted across to the grid leaving a negative charge

Diagram II



on the potassium, which when the key K_2 is open, causes a deflection of the needle of the electrometer. The field between the filament and grid will take back any electrons emitted from the filament. There may be a negative photo-electric current from the grid, which could reach the potassium and charge in the same manner as the positive current leaving it would do. Any positive photo-electric current from the grid will be turned back. The highest threshold frequency of potassium is known to be well in the infra-red portion of the spectrum, while that of the platinum is in the ultra-violet. If no effect is produced upon the electrometer, it will mean that no positive photo-electric current is emitted from the potassium.

Results with:

The sensitivity of the electrometer was such that with 120 volts on the needle and a potential difference of one volt between the quadrant the deflection produced would be 140 cms. on the lamp scale. The capacity of the system, the electrometer and the bulb in series, was very nearly 100 cms.

Owing to a slight charging up of the sealing wax key and also to a small leak across the inside of the glass bulb even when the filament was unheated the image moved in the direction indicating a positive charging up of the potassium. Fortunately it was not too fast to be timed and was constant over a short range of time, long enough for measurements to be taken. The effect looked for would mean a still slower rate of charging.

No change in the rate of charging was noticed until the filament current rose to a value of 1.8 amps. when the observations showed that the charging up of the potassium positively went on at a slower rate. This might possibly be due to electrons from the hot filament escaping between the windings of the grid which were rather wide. However at

least a thousand times as fast as the current which is distributed to the cathode of positive ions.

particular temperature the negative current was quite large (greater than 10^{-6} amps),

A stop clock reading to .2 seconds was used and it would have been easy to detect a change of rate of 1 cm. in ten seconds.

Filament current Time for image to traverse 22cm.

| | |
|-----------|--------------|
| 0 | 10.2 seconds |
| 1.5 amps. | 10.2 " |
| 0 | 10.4 " |
| 1.6 " | 10.2 " |
| 0 | 10.2 " |
| 1.7 " | 10.4 " |
| 0 | 10.2 " |
| 1.8 " | 11.2 " |

The difference of potential between the potassium and the grid was 96 volts; sufficient to saturate the negative currents at the temperatures employed. A change in the rate of charging up of one centimetre in 10 seconds would mean a photo-electric current of 10^{-13} amps. For the potential difference

$$= \frac{1}{140 \times 300} \text{ electro static units.}$$

$$= \frac{\text{current} \times \text{time}}{\text{capacity}}$$

$$= \frac{C \times 10}{100} \text{ E.S.U.}$$

$$C = \frac{10}{140 \times 300}$$

$$= \frac{10^{-3}}{4.2} \text{ E.S.U.}$$

$$= \frac{1}{4.2} \times \frac{1}{3} \times 10^{-12} \text{ amps,}$$

$$\left\langle \frac{1}{10^{-13}} \text{ amps.} \right.$$

Hence a current of this order could easily have been detected.

Dember found the ratio of his negative to positive photo-electric currents to be $\frac{10^{-9}}{10^{-13}} = 10^4$, whereas these experiments give the ratio as more than $\frac{10^{-6}}{10^{-13}} = 10^7$.

Hence if the positive photo-electric effect does occur it is at least a thousand times smaller than the current which Dember attributed to the emission of positive ions.

THRESHOLD FREQUENCIES OF POTASSIUM

Hertz was the first to observe photo-electric phenomena and one of the first facts which appeared was that only certain kinds of light were instrumental in liberating electrons. In experiments in connection with electric oscillations he noticed, while using two spark gaps, that the maximum length of the spark was smaller if one was enclosed in a dark box. By ^{inserting} ~~insulating~~ plates of glass so as to screen one spark gap from the other the change did not occur, while rock salt did not hinder the action. Thus Hertz showed that ultra violet light was the cause of the lengthening of the maximum spark. Hallswach investigated the effect of ultra violet light on electro statically charged bodies and found that negatively charged bodies became discharged, no effect being produced on positively charged bodies. Again the effective portion of the light used, that from an arc lamp, was found to be in the ultra violet portion of the spectrum. Hallswach also found that metal discs exposed to ultra violet light acquired a positive charge and as a result of his investigations (ec concluded that the light caused the plate to lose electrons which travelled away from it along the direction of the lines of force.

Elster and Geitel (Ann. d. Physik 52 1894) found that ordinary daylight was effective in the case of the more electro-positive metals. They experimented on rubidium, potassium and sodium, using a series of filters and found that only with rubidium was there any appreciable effect with red light while maxima occurred with yellow. The more electro positive the metal the longer the wave length with which it ^{becomes} active. J.J. Thomson found that a positively charged metal plate placed opposite a surface of sodium-potassium (NaK) alloy or rubidium lost its charge even in the dark, presumably due to the influence of long waves. Experiments carried out with other metals showed that the photo-electric activity increased with decreasing wave length, and Hallswach found the same occurred with the alkali metals. The apparent disagreement between the results of Elster and Geitel and Hallswach for the alkali metals was explained by Pohl and Pringsheim

who showed that the activity depended on the angle of incidence of the light. With normal incidence, when the electric vector is parallel to the surface the activity increases with the frequency of the light but in other cases the electric vector, which is parallel to the plane of incidence, produces a maximum for some particular wave length. In the case of sodium potassium alloy it is at about 4000 au. These are the "normal" and "selective" effects. Compton and Richardson found two maxima for the photo-electric activity in the case of sodium and concluded that the normal effect also exhibits a maximum, but that it is further in the ultra violet part of the spectrum than that produced by the selective effect.

The relation between the wave length of the incident light and the velocity of the emitted photo-electrons engaged the attention of investigators for some time. Ladenburg and Markau obtained velocity distribution curves, by measuring the photo-electric current with different values of retarding and accelerating potentials.

Ladenburg found that his results could be represented by the relation $\sqrt{V\lambda} = \text{constant}$ where V is the stopping potential or that the initial velocity was proportional to the frequency $v \propto \nu$. Toffé, however, pointed out that they also could be fitted to the relation, that positive accelerating potential i.e., the square of the initial velocity was proportional to the frequency. With the short range of ~~the experiments, light of wave lengths~~ 2000 au to 2700au, it was impossible to say whether points of the graph lay on a straight line or the practically straight portion of a parabola. J. Kunz, working with NaK alloy was in favour of the second conclusion but the difficulty of obtaining a perfectly clean surface and so of preparing the metal in the same condition on two successive occasions again introduced some doubt. The work of Hughes gave evidence in favour of $v^2 \propto \lambda\nu$. He also produced much cleaner surfaces by distilling the metals on to a strip in vacuo and used an improved type of monochromator. Results obtained with various metals showed the second relation to be the one which best explained the facts.

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Hughes found $V = h\nu - V_0$, where V is the stopping potential V_0 is constant

The emission will cease altogether below a certain definite frequency determined by the relation $V_0 = h\nu_0 - kV_0$

As early as 1903 Richardson had measured the ^{thermionic} work function, the result being given in equivalent volts and obtained from readings on the thermionic currents. The thermionic emission from a heated

metal is governed by the relation $C = AT^n e^{-\frac{b}{T}}$, where n may be 2 or $\frac{1}{2}$

T being the temperature to which the metal is raised, A a constant,

b is $\frac{\phi}{k}$, where ϕ & k are respectively the work function and k is the gas constant for one

molecule or the entropy constant. By plotting the $\log_{10} \frac{C}{T^{\frac{1}{2}}}$ against

$\frac{1}{T}$ the results gave a curve convex to the origin, of which the left

hand portion approximated to a straight line. This straight line

being considered, a value for the constant b can be obtained by meas-

uring the slope of the line with respect to the $\frac{1}{T}$ axis. For sodium

the value of b obtained was 3.16×10^4 , which corresponded to a value

2.53 in equivalent volts. The measurements were obtained using a

steel tube which could be placed in a small furnace. Inside was a

hollow semi circular cylinder of brass, while a platinum wire was

stretched along the axis of the cylinder. Small cubes of sodium were

placed on the brass cylinder and after heating in the evacuated tube fo-

formed a fairly evenly distributed film over the inside of the steel

tube. The tube was evacuated by means of a Gaede pump and liquid

air on a charcoal tube and the leak from the tube to the wire gave

the thermionic currents. The method of introducing the metal would

necessitate the presence of some oxide and gases which the Gaede pump

could not remove. ^{these} would doubtless ^{give rise to} form a thin film on the metal

surface, thus giving a high value for the threshold frequency. It

was suggested that the platinum wire might gradually give off its

absorbed hydrogen and this also would lead to a high result. Also

difficulty was experienced in saturating the thermionic currents.

In 1910 Pohl and Pringshein's work on measurements of the

position of the maximum for the selective photo-electric effect gave

approximate values for the threshold frequency V_0 . If

If ν_{max} represents the frequency at which the maximum occurs then
 $\nu_{max} = \frac{3}{2}\nu_0$. Pohl and Fringshein found λ_{max} for potassium to be about
 4400 AU and for sodium 3350 AU. These results would indicate that
 ν_0 for potassium is somewhere near 4.5×10^{14} and for sodium 6.0×10^{14} .

When Richardson and Compton were investigating the relation
 between exciting frequency and the velocity of the ejected electron
 they also found a maximum photo-electric activity occurring in the case
 of sodium. They were using a new type of monochromatic illuminator,
 which gave a strong and accurately monochromatic beam of light, and
 exhausted the bulb by means of a Gaede pump and using liquid
 air on a charcoal tube. The sodium was placed in position, the bulb
 exhausted and then the sodium cut by a razor blade drawn downwards by
 the attraction of an external magnet on a piece of soft iron attached
 to the blade. Difficulty was experienced in making observations
 because the surface fatigued very rapidly owing to the freshly cut
 surface being immediately attacked and contaminated. However,
 the curves showed that a maximum occurred in the currents and its
 position showed that a ν_0 was in the neighbourhood of 5.15×10^{14} .

The next year 1913, Richardson and Compton repeated their
 observations with sodium, using the same procedure to exhaust the
 bulb as before, but instead of cutting the sodium in vacuo the clean
 surface was distilled on to a metal strip. This time, although the
 currents showed fatigue the maximum did not shift with the lapse of
 time. The range of wave lengths used was greater than before and two
 maxima occurred, the first with a wave length of 3600 AU and the
 second further in the ultra violet at 2270 au. It was noticed that
 the work function depends very largely on the state of oxidation of
 the surface and that the first maximum decreases more rapidly with
 fatigue than the second. There was considerable overlapping in the
 visible spectrum so that the critical wave length could not be
 definitely determined but was somewhere about 5500 AU. The maximum
 at 3600 AU would give a value 5.5×10^{14} for ν_0 while the 5500 AU value for λ_0
 gives 5.4×10^{14} for ν_0 . The second frequency as indicated by the second

maximum at 2270 AU would have a value 8.8×10^{14} .

Millikan published in the *Physical Review* of 1916 an account of a long and careful piece of work, the aim of which was to verify Einstein's law and in particular to obtain a photo-electric measurement of Planck's constant h . He worked with the metals sodium and lithium and took great precautions to obtain film free surfaces. The metals were mounted, so that a knife operated by electro magnets could shave films from the surface at any desired time in a vacuum which corresponded to about a ten millionth of a millimeter of mercury pressure. The apparatus was exhausted by means of a Gaede molecular pump and the shavings of metal helped to raise the vacuum by chemical action. A wide range of incident wave lengths 6800 AU to 2400 AU, were used and the photo-electric currents excited by the different wave lengths measured by means of an ionisation chamber. It was found that in high vacuum the contact electro motive force did not alter greatly just after the surface had been shaved, but that the photo-electric currents would drop to a third or fourth of their initial value in half an hour. This was the case with sodium, but lithium remained strongly photo-electric for an indefinite period, no decay being shown over a period of six months. Plotting volts (P.D) against frequency gave a straight line, and when the contact potential difference between the sodium and the copper of the ionisation chamber i.e. 2.51 volts had been allowed for, the line intercepted the axis at $\nu_0 = 4.39 \times 10^{14}$. This threshold frequency corresponds to a limiting wave length of $\lambda_0 = 6800$ AU. In spite of the great precautions taken Millikan still thought that λ_0 might be in error by about 100 AU.

In 1917 W. Wilson measuring the complete photo-electric effect from sodium potassium alloy obtained a value for ν_0 of 6.2×10^{14} . The relation between the saturated photo-electric current i and temperature T is the same as that governing the thermionic emission namely $i = C T^{\frac{2}{\lambda}} e^{-\frac{\phi}{T}}$ λ being either 2 or $\frac{1}{2}$. ϕ again is $\frac{\phi}{R}$ where ϕ is work function. The alloy was capable of being tapped about in the exhausted vessel so as to produce a fresh surface at will, but

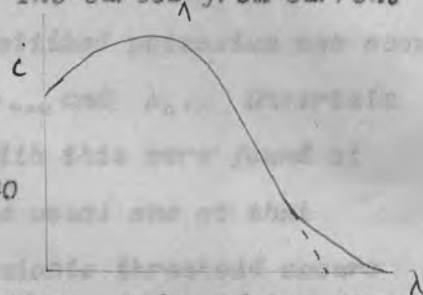
in spite of that, fatigue was noticed and as might be expected a high value for V_0 obtained. The graph of $\log \frac{I}{T^2}$ and $\frac{1}{T}$ gave a straight line in the final experiments though earlier results had indicated two straight lines inclined to each other.

Later, in 1922, Richardson obtained values for V_0 which agreed with those of W. Wilson. He was working with alloy (K.Na) in an atmosphere of COCl_2 , and obtained very small currents with incident light of wavelength $\lambda 5460$, indicating that the threshold is just on the low frequency side of it. Repeating using Hilger colour filters he found a very small current with $\lambda 4916$ which gives $V_0 = 6.02 \times 10^{-4}$. The clean alloy was kept in a funnel and allowed to drop through a nozzle at such a rate that the drops of alloy remained clean. If the rate was too slow films appeared on the drops. Richardson found that different gases affected the photo-electric threshold frequency and V_0 apparently varies with trifling changes in conditions. In one experiment with the alloy in COCl_2 it was not possible to obtain a current with the full illumination of a mercury lamp through the $\lambda 4355$ filter, while in other cases, apparently no different, large currents were obtained. The threshold wave length is higher than $\lambda 5460$ when the alloy is in COCl_2 , but when in chlorine it is less than $\lambda 4355$. In some cases with water vapour present currents were obtained with wave lengths $\lambda 4355$, $\lambda 5460$, $\lambda 5790$; so that when water vapour is present the value of V_0 can lie in the infra red. The method of exhaustion in this case was with a Gaede pump backed by a Geryk.

In the following year Young carried out some experiments on the thermionic and photo-electric properties of potassium. The metal was put in a side tube, freed from naptha by exhausting with a rough pump, warmed so as to run through into the main tube. At first a film formed over the surface but after continued heating the surface remained bright indefinitely. On plotting $\log \frac{I}{T^2}$ against $\frac{1}{T}$ the graph obtained was not in general rectilinear, although in some cases, on first heating the metal after a day or two's rest a straight line was obtained. The curves were continuous from the solid to the liquid state, no break occurring at the change of state. The current

potential difference curves however were of peculiar shape in some cases, especially near the bend, corresponding to currents just less than the saturated current. For temperatures near 200°C values of b from 1.30 to 1.58×10^4 , corresponding to equivalent volts .99 to 1.32 were obtained. b for temperatures about 30°C varied from .502 to $.576 \times 10^4$ corresponding to .463 to .694 equivalent volts. All these are less than Richardson's value obtained in 1903. Young's photo-electric measurements gave higher values. The curves ^{obtained by plotting} from current

plotted against wavelength being as shown gave 1.86 to 2.02 in equivalent volts or if the tail of the curve is attributed to scattered light 1.72 to 1.77 volts.



The threshold wave length was between λ 6640 and λ 6120. Richardson has given an

explanation of the photo-electric work functions being higher than the thermionic ones. This is the theory of 'patches'. With a metal surface having areas each with its characteristic work function, two or more, local electrostatic fields will be set up under the influence of heat or incident light of the correct wave length. It was suggested that the thermionic current comes from the parts of the surface having low work functions while the photo-electric currents are more evenly distributed over the whole surface. ^{fields at the boundaries of the patches} The local ^{fields} could also explain the greater difficulty in saturating the thermionic currents from a surface. The peculiar shape of the current potential curves plotted by Young might also be accounted for by the local fields.

In 1925 Richardson and Young published another paper on the same subject. First Richardson's results of 1903 are recalculated from the aspect of the curve being two straight lines instead of one and neglecting some of the points. This gives the two work functions in equivalent volts as 3.96 and 1.37. The first agrees fairly well with Richardson and Compton's photo-electric value for the second threshold i.e. 3.63, but 1.37 is very low when compared with the photo-electric values 1.82 to 2.56 volts. These experimenters worked with potassium in a vacuum obtained with mercury diffusion pumps and the metal surface obtained by melting the metal away from

from the oxide skin and continuing heating until the surface remained clean. The potassium surface was sensitised by passing a luminous discharge between the the metal surface and the electrode when in an atmosphere of about .1mm. of hydrogen, introduced by heating palladium tubes. The hydrogen was then pumped out. The photo-electric current was plotted against the wave length and one maximum was found before sensitising while two were present after. This sensitised surface gave an emission corresponding to a threshold of about $\lambda_0 = 10,000 \text{ AU}$. The threshold of the unsensitised potassium was about 7000 AU which agrees with other values of λ_{max} and λ_0 . Uncertain traces of a thermionic threshold agreeing with this were found at 200° C, but the usual ones are much lower; a usual one at that temperature being 10,000 AU. Another thermionic threshold occurs at about 30,000 AU, but even the sensitised potassium showed no trace of this. The glow discharge being passed in the presence of hydrogen or water vapour, besides bringing out undeveloped thresholds increases the normal emission.

Richardson and Brotherton have shown that the presence of various gases ^{reduces} decreases the value of the threshold frequency.

Dealing with sodium potassium alloys of different compositions the threshold frequency in vacuo varied between 5.2 and 5.4×10^{14} while in an atmosphere of COCl_2 the values of V_0 were from 5.0 to 5.4×10^{14} . Water vapour also makes the threshold frequency a little lower than in vacuo. In this paper the disagreement between chemical and

photo-electric determinations of the contact potential differences is also explained by Richardson's theory of patches. The stopping potentials for the various alloys were measured and graphs plotted between σ -V and V. The values in COCl_2 were higher than in vacuo.

If i is the current against an opposing potential V then $i = i_0(1 + \sigma V)$ ^{0V}
 i_0 is the saturation current and $\sigma = \frac{e}{kT}$. In one case the zero on the V scale given by the chemical emission was 1.88 volts.

If V_s is the stopping potential and K the contact potential between the two surfaces then

$$e(V_s + K) = \frac{1}{2} m v^2 = h(\nu - \nu_0)$$

ν_0 = threshold frequency and ν = frequency of incident light.
of photoelectric determination - 14

In one case $\nu_0 = 5.0 \times 10^{14}$ when using a group of wave lengths 4947 - 58

Å making $\frac{h}{e}(\nu - \nu_0) = 0.77$ volts which gives a zero as determined
range
 photo-electrically = 2.46 volts. With a different ~~band~~ of wave

lengths incident the zero = 2.49 volts. Thus the photo-electric determinations agree among themselves, but are larger than that given by the chemical emission. The difference can be accounted for if it is assumed that the chemical action does not take place over the whole surface. Then the value for ν_0 is higher in the absence of COCl_2 , and the surface acted on by the gas is electro positive to the clean alloy. This agrees with the low thresholds which have been found when water vapour is present. Let ν_p be the photo-electric threshold frequency for contaminated areas and ν_c for the clean alloy.

Photo-electric measurements determine the smaller of these two, so far ν_p in all cases. Contact potential differences determined from the chemical or photo-electrons which come from different areas with different intrinsic potential differences. The theory of patches also accounts for the difficulty of obtaining saturation and the breaking down of Maxwell's law in the neighbourhood of zero emission. If electrons are ejected at the periphery of a positive patch the slow ones will be pulled into the positive area.

and Young

3.0×10^{14} (about)

3.0×10^{14}

Richardson
 and Bratherston of
 I and
 Ks

Alloys $5.0 \rightarrow 5.4 \times 10^{14}$

| Date | Observer | Substance | Photoelectric Threshold | Equivalent Volts | Thermionic Threshold | Equivalent Volts | |
|------|---|--------------------|--|----------------------|---------------------------------------|------------------------------|--------------|
| 1903 | Richardson | Na | | | | 2.63 | |
| 1910 | Pohl and Pringsheim | K Na | 4.5×10^{14} 6.0×10^{14} | | | | |
| 1912 | Richardson and Compton | Na | 5.15×10^{14} | | | | |
| 1913 | Richardson and Compton | Na | 5.2×10^{14} 5.56×10^{14} 8.81×10^{14} | 2.14 2.29 3.63 | | | |
| 1916 | Millikan | Na | 4.4×10^{14} | 1.82 | | | |
| 1917 | W. Wilson | K Na | 6.2×10^{14} | 2.56 | | | |
| 1922 | Richardson | K Na | $6.02 \rightarrow 6.25 \times 10^{14}$ | | | | |
| 1923 | Young | K | | 1.86 - 2.02 | | 1.32 - 1.99 1.694 - 1.463 | |
| 1925 | Richardson's results of 1903 recalculated | | | | | | 3.96 1.37 |
| 1925 | Richardson and Young | K | 4.3×10^{14} 3.0×10^{14} (about) | | 3.0×10^{14} 1 x 10^{14} | | |
| 1927 | Richardson and Brotherton | Alloys of K and Na | $5.0 \rightarrow 5.4 \times 10^{14}$ | | | | |

EXPERIMENTS ON THE THRESHOLD FREQUENCIES OF POTASSIUM

The apparatus used to investigate the existence of the positive photo-electric effect was also used to measure the threshold frequency of potassium, by measuring the complete photo-electric effect when in equilibrium with black body radiation of known temperature. By heating the potassium at the bottom of the bulb with a small electric heater, it was vapourised and then deposited in a thin film over the cool part of the spherical surface. To prevent the vapour settling on or near the filament and grid both were heated throughout the operation and another electric heater was wound round the outside of the bottle neck. By repeated heating and cooling of the potassium it was possible to obtain a comparatively thick mirror over the whole spherical surface, the gap on the glass in contact with the heater being covered by tipping the tube while the metal was still in the liquid state. In the earliest experiments the mirror of potassium was apparently not of sufficient thickness to make good electrical contact over the whole of the surface, for inconsistent readings of the photo-electric currents were obtained; doubtless due to certain portions of the surface becoming charged up after subjection to radiation for a few minutes. When the film of potassium was made thicker this difficulty disappeared. Owing to repeated reflections of the radiation emitted by the filament at the bright potassium surface the interior space is filled with approximately black body radiation and at the same time a fresh metal surface could easily be obtained by heating and vapourising the potassium. Furthermore each heating would improve the conditions until all the substances which had been left in the bulb capable of reacting with potassium had been used up.

The law governing the relation between current and temperature in the case of the complete photo-electric effect is expressed by

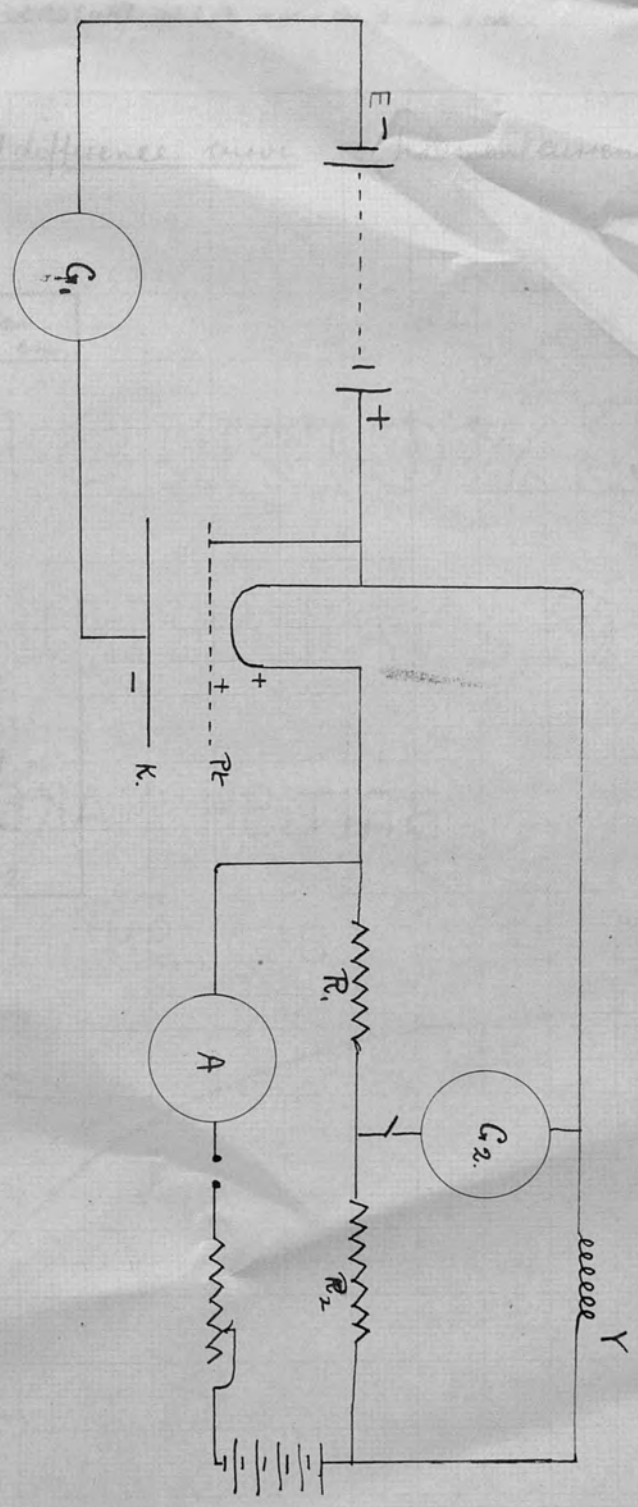
$$C = A T e^{\frac{n - \frac{c}{T}}{T}} \quad (\text{see Richardson Phil. Mag. Vol. 1. 1912})$$

where C is the saturated current

A is a constant

T is the temperature of the radiator

Diagram III



Current potential difference curve

Diagram III

| | |
|----|-----|
| 12 | 8.6 |
| 24 | 8.0 |
| 36 | 7.0 |
| 48 | 6.4 |
| 60 | 5.8 |
| 72 | 5.2 |
| 84 | 4.6 |
| 96 | 4.0 |

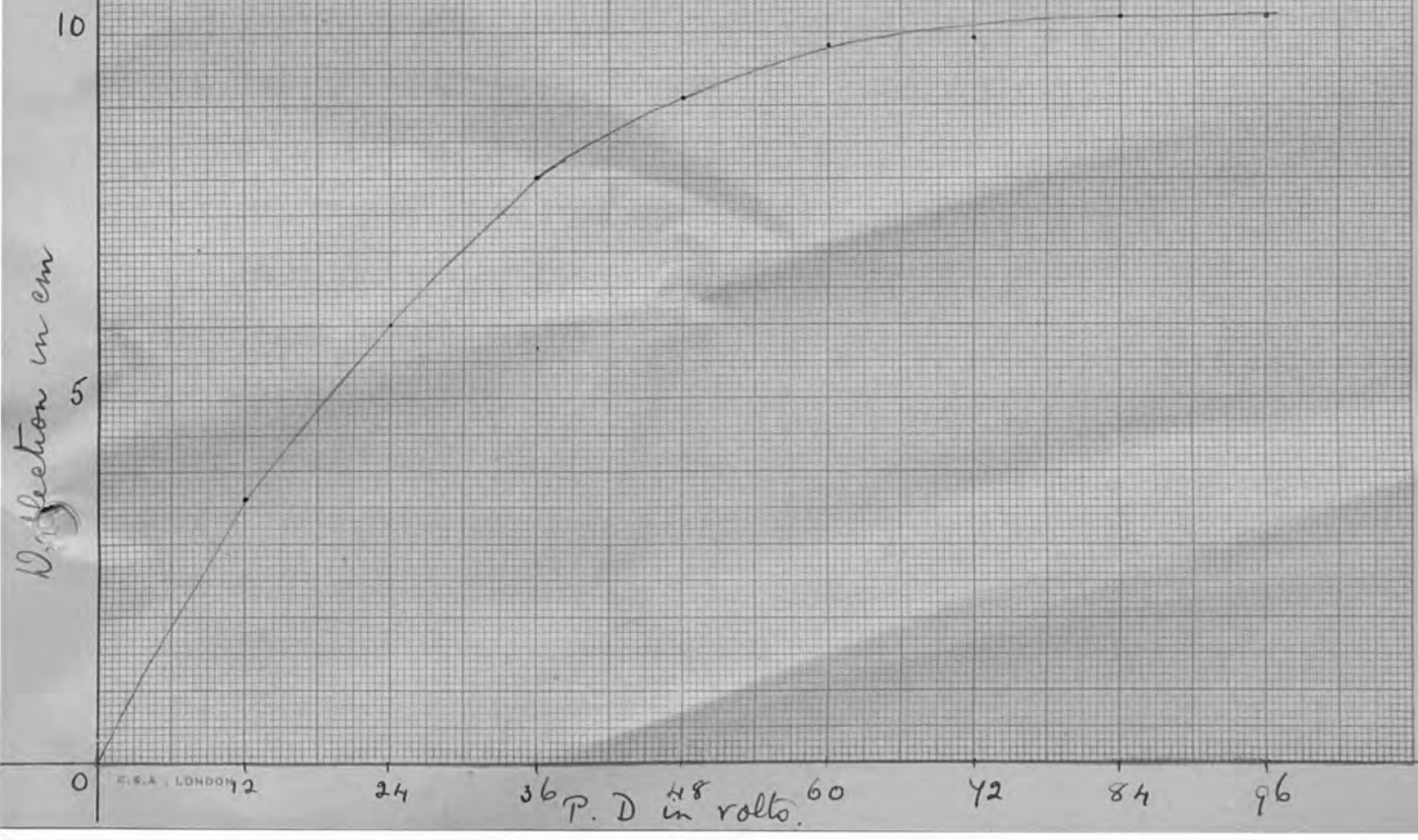
the current-potential difference curve of a cell is a straight line and the slope of this line is the internal resistance of the cell. The current-potential difference curve of a cell is a straight line and the slope of this line is the internal resistance of the cell. The current-potential difference curve of a cell is a straight line and the slope of this line is the internal resistance of the cell.

Current potential difference curve

filament current is 2.5 amps.

| P. D on filament volts | Deflection cm. |
|------------------------|----------------|
| 12 | 3.6 |
| 24 | 6.0 |
| 36 | 8.0 |
| 48 | 9.1 |
| 60 | 9.8 |
| 72 | 9.9 |
| 84 | 10.2 |
| 96 | 10.2 |

Fig 1



h is a constant which equals 2 or $1/2$
 b is $\frac{\phi}{k}$ i.e. work function
 gas constant for one molecule

therefore plotting $\log \frac{C}{T^h}$ against $\frac{1}{T}$ should give a straight line - the slope giving the value of b .

The saturated currents C were comparatively large and a sensitive galvanometer was used to measure them ~~etc electric currents~~. The connections were as shown in III. The two grid connections and one side of the filament were connected to the positive side of a lamp board in which the 10 lamps were arranged in series and connected to the 240 volt mains. ^{One terminal of} the galvanometer G_1 was connected between two of the lamps, the other ~~galvanometer terminal~~ being connected straight to the potassium mirror. The resistance of the filament was measured at the various temperatures by means of a Wheatstone's bridge arrangement, R_1 and R_2 were two arms of a Post Office box, and X was a coil of eureka wire 2 metres long immersed in a flask filled with paraffin oil, which in turn was surrounded by a water bath. The resistance of the coil was 2.056 ohms. Its resistance was previously measured at $20^\circ C$ and at $100^\circ C$, no difference being detectable, and when surrounded by a water bath the temperature varied over a range of less than $10^\circ C$, when the largest currents were used. Consequently under the conditions of the experiment it was an invariable resistance. The filament was heated by a battery of accumulators and the steady balance in the bridge found, using a dead beat Onwood galvanometer, which gave a deflection of about 10 cm. on the scale for a change of resistance of one ohm in the variable arm of the box. The photo-electric currents were well saturated as is shown by Figure I, the current potential difference curve corresponding to a filament current of 2.6 amps. With the largest filament currents used (3.5), saturation was secured by having 108 volts potential difference between the potassium and the filament, so this value was used throughout.

The graph plotted between galvanometer ^{G_1} deflection and resistance in the variable arm of the box i.e. between current and filament temperature in arbitrary units, was of the form shown in

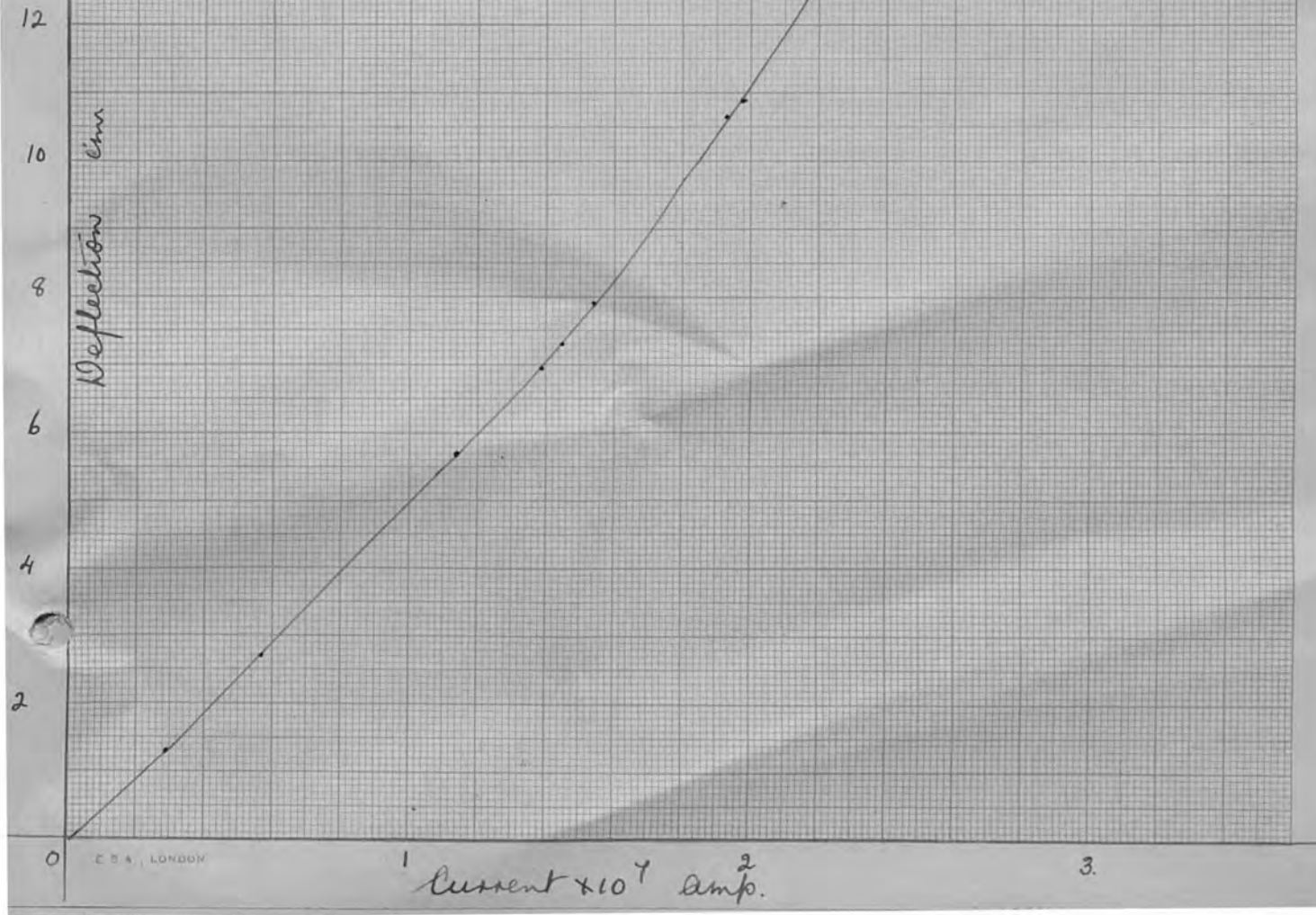
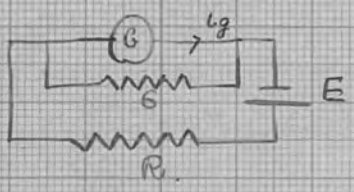
Calibration curve for galvanometer G_1 .

Fig II

| R. ohms. | S ohms. | Current I_g $\times 10^7$ amperes | Deflection cm. |
|-----------------|------------|--|-------------------|
| 10^6 | 10 | 0.29 | 1.3 |
| 10^6 | 20 | 0.54 | 2.4 |
| 5×10^5 | 20 | 1.14 | 5.6 |
| 10^6 | 50 | 1.89 | 6.9 |
| 4×10^5 | 20 | 1.45 | 7.3 |
| 9×10^5 | 50 | 1.54 | 7.9 |
| 3×10^5 | 20 | 1.93 | 10.6 |
| 7×10^5 | 50 | 1.98 | 10.9 |
| 10^6 | 100 | 2.59 | 16.5 |
| 6×10^6 | 50 | 2.48 | 19.0 |
| 5×10^5 | 50 | 2.48 | 19.4 |
| 10^5 | 10 | 2.93 | 20.0 |

$G = 682$ ohms.
 $E = 2.03$ volts

$$I_g = \frac{E}{R} \cdot \frac{S}{S+G}$$



Current $\times 10^4$ amps.

Resistance in variable arm of bridge in ohms.

Fig III

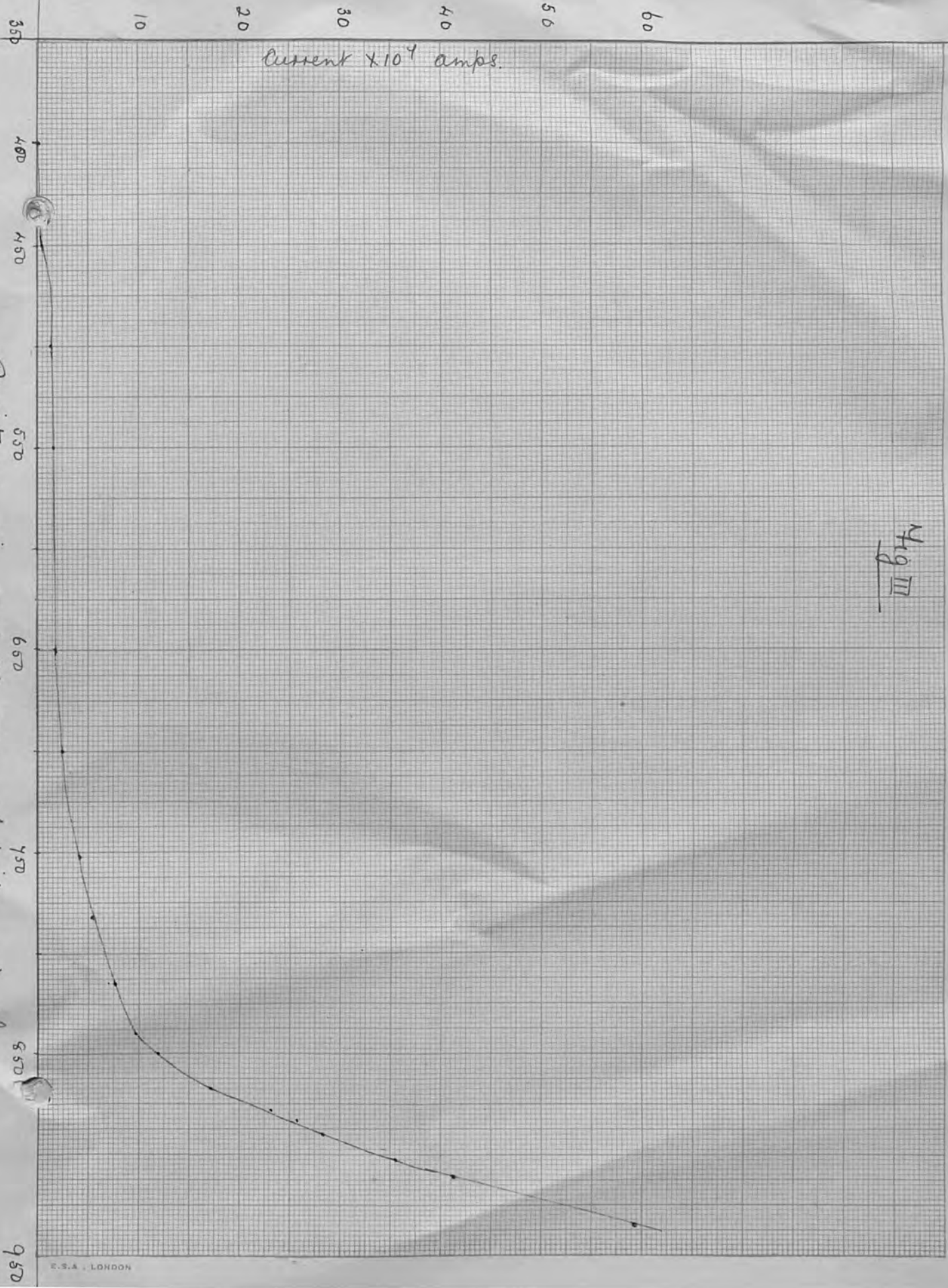


Fig III a

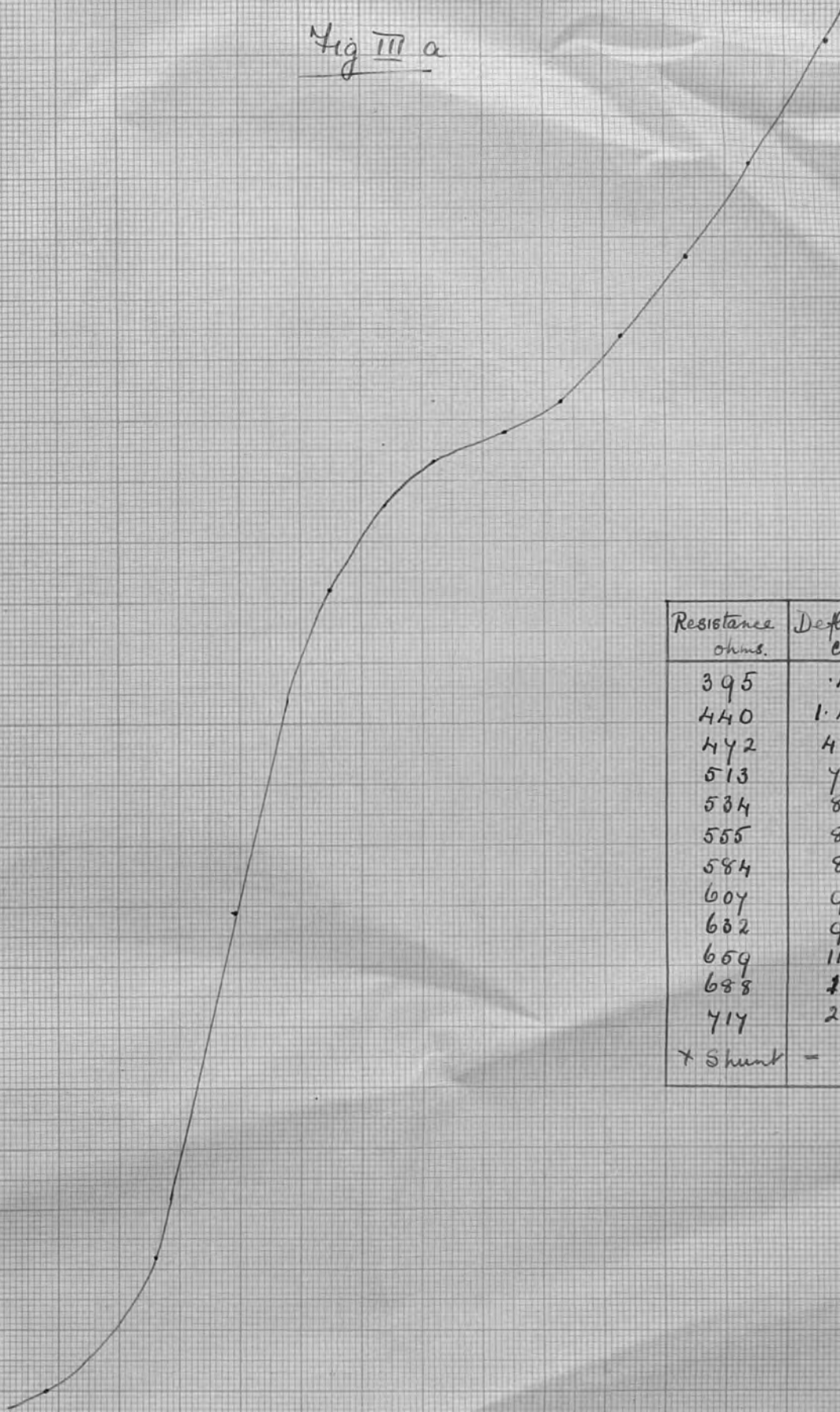
2.0

1.5

1.0

.5

Current $\times 10^7$ amps.



| Resistance ohms. | Deflection cm. | Current $\times 10^7$ amps. |
|---------------------|-------------------|--------------------------------|
| 395 | .45 | .10 |
| 440 | 1.45 | .32 |
| 472 | 4.3 | .89 |
| 513 | 7.2 | 1.42 |
| 534 | 8.0 | 1.56 |
| 555 | 8.5 | 1.63 |
| 584 | 8.8 | 1.68 |
| 607 | 9.1 | 1.73 |
| 632 | 9.9 | 1.84 |
| 659 | 11.0 | 1.97 |
| 688 | 1.8* | 2.12 |
| 717 | 2.0* | 2.33. |

* Shunt = 150 ohms.

| Crystal. | M.P. °C. | Resistance ohms. |
|----------------------|-------------|---------------------|
| naphthalene | 79 | 256 |
| Silver nitrate | 218 | 325 |
| Potassium bichromate | 400 | 435 |
| Barium nitrate | 570 | 525 |
| Potassium bromide | 450 | 625 |
| Sodium chloride | 801 | 635 |
| Sodium sulphate | 884 | 683 |
| Potassium sulphate | 1070 | 780 |
| Stannic oxide | 1180 | 815. |

Fig IV

1600

1200

800

400

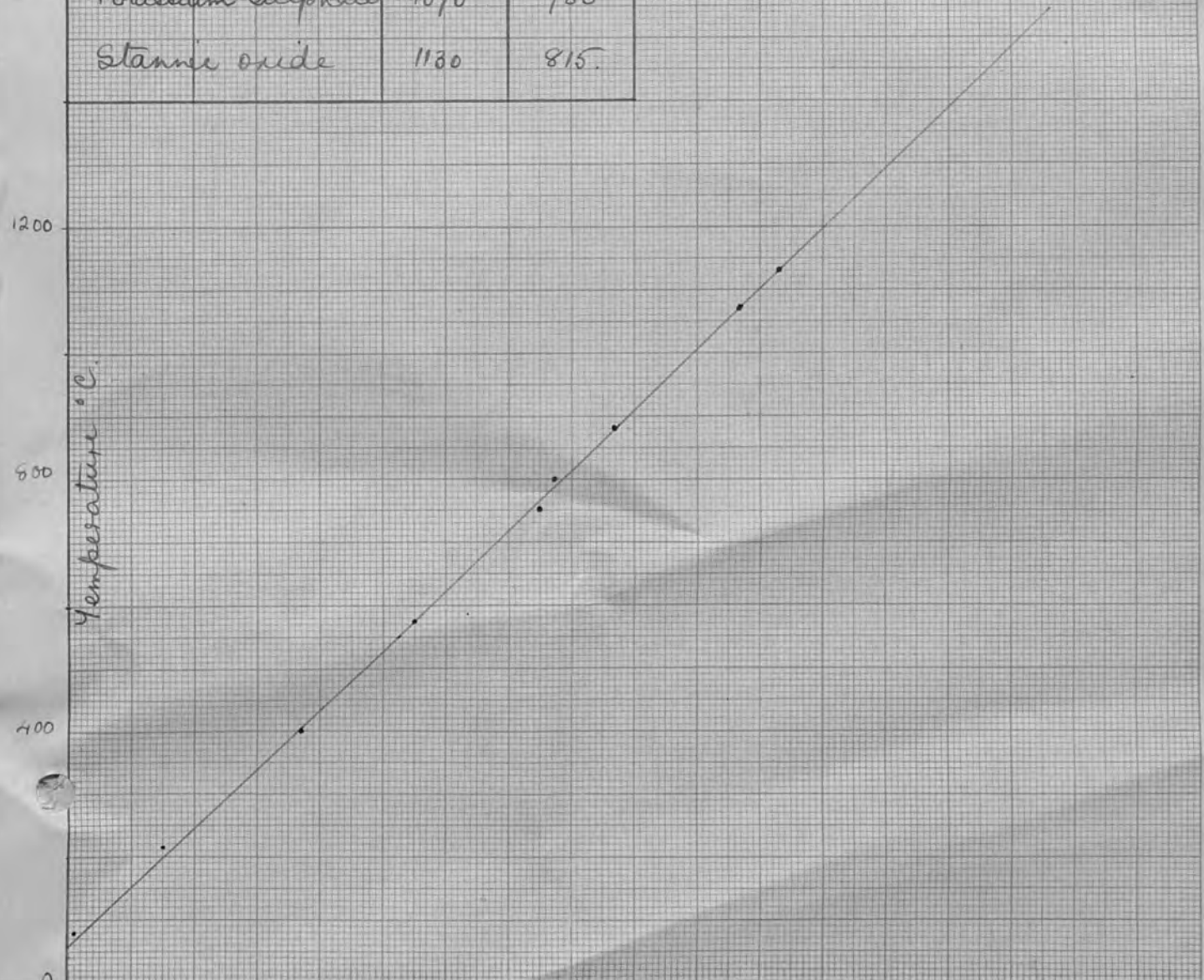
Temperature °C.

0

250

Resistance in variable arm of bridge ohms. 500 650 850 1050

C.S.A., LONDON



Figures 3 and 3a.

In order to ensure the best possible conditions the potassium was then melted off the walls of the bulb, and a completely fresh film deposited. As soon as this film was sufficiently thick the charcoal tube was immersed in liquid air. A set of deflection resistance readings was taken about half an hour after the mirror had been deposited and another set taken after the lapse of two and a half hours. Neither at this time nor next morning was any fatigue noticed, in fact as will be mentioned later, the current over a certain range increased with time. The curves obtained with this fresh film agreed with those previously obtained.

Hysteresis effects were considerable. Readings were taken when the filament current was gradually increased, but if taken in the reverse order the difference between corresponding current readings was so great, that for the lowest temperatures used, the descending reading would be as much as twice the ascending reading. The effect disappeared quite rapidly with time, in the case of the high temperatures, so rapidly as to be imperceptible. Though the decay at lower temperatures was slower, the original ascending reading would be reached by leaving the apparatus for ten minutes. The descending readings are inconsistent depending as they do on the time that elapses between altering the filament current and taking the readings of the current and filament resistance. The effect did not appear to be dependant on the degree of evacuation of the bulb.

The relation between filament resistance and temperature was found by opening the bulb and withdrawing the filament and grid and then finding the resistances of the filament at the melting points of certain crystals. The bridge arrangement was exactly the same as when taking readings of the photo-electric current, and minute crystals of substances having well defined melting points were placed on the filament at its hottest part. The current passing through the

| | | | | | | | |
|-----|-----|-----|-----|------|------|-------|-------|
| 179 | 1.8 | 130 | 673 | 10.6 | 2.33 | 1.395 | 1.458 |
| 187 | 2.1 | 155 | 785 | 12.3 | 2.54 | 1.534 | 1.530 |

| Resistance ohms | Deflection cms | Shunt ohms | Temperature °C | $\frac{1}{T} \times 10^4$ | Current $\times 10^3$ amps | $\log \frac{C}{T^2}$ +13 | $\log \frac{C}{T^2}$ +10 |
|--------------------|-------------------|---------------|-------------------|---------------------------|----------------------------------|-----------------------------|-----------------------------|
| 400 | 0.50 | | 340 | 16.3 | 0.12 | 0.504 | 0.683 |
| 425 | 1.05 | | 360 | 15.3 | 0.23 | 0.732 | 0.954 |
| 437 | 1.60 | | 405 | 14.8 | 0.25 | 0.882 | 1.129 |
| 450 | 2.25 | | 435 | 14.3 | 0.49 | 1.002 | 1.266 |
| 462 | 3.35 | | 445 | 13.9 | 0.70 | 1.132 | 1.417 |
| 475 | 4.40 | | 470 | 13.5 | 0.90 | 1.202 | 1.519 |
| 487 | 5.30 | | 485 | 13.2 | 1.08 | 1.274 | 1.594 |
| 500 | 6.75 | | 505 | 12.9 | 1.35 | 1.348 | 1.685 |
| 525 | 7.60 | | 552 | 12.1 | 1.50 | 1.340 | 1.717 |
| 550 | 8.25 | | 605 | 11.4 | 1.60 | 1.317 | 1.732 |
| 575 | 8.60 | | 657 | 10.8 | 1.65 | 1.281 | 1.733 |
| 600 | 9.25 | | 712 | 10.2 | 1.75 | 1.256 | 1.756 |
| 625 | 9.65 | | 777 | 9.25 | 1.80 | 1.213 | 1.745 |
| 650 | 10.40 | | 830 | 9.09 | 1.90 | 1.194 | 1.736 |
| 675 | 1.75 | 150 | 890 | 8.62 | 2.05 | 1.181 | 1.779 |
| 700 | 1.95 | | 920 | 8.40 | 2.25 | 1.199 | 1.814 |
| 717 | 2.00 | | 945 | 8.19 | 2.33 | 1.196 | 1.825 |
| 755 | 3.60 | | 1005 | 7.80 | 4.16 | 1.406 | 2.066 |
| 782 | 4.60 | | 1070 | 7.46 | 5.21 | 1.461 | 2.133 |
| 815 | 6.60 | | 1135 | 7.09 | 7.33 | 1.568 | 2.290 |
| 829 | 9.40 | | 1130 | 6.89 | 9.33 | 1.674 | 2.413 |
| 850 | 5.20 | 50 | 1200 | 6.80 | 12.00 | 1.745 | 2.495 |
| 867 | 5.80 | | 1230 | 6.66 | 17.13 | 1.880 | 2.645 |
| 876 | 6.20 | | 1243 | 6.58 | 23.28 | 2.002 | 2.776 |
| 883 | 10.4 | | 1260 | 6.55 | 25.72 | 2.019 | 2.817 |
| 890 | 10.8 | | 1275 | 6.53 | 28.65 | 2.078 | 2.862 |
| 903 | 16.6 | | 1302 | 6.39 | 35.33 | 2.154 | 2.950 |
| 911 | 5.80 | 20 | 1308 | 6.33 | 41.10 | 2.216 | 3.014 |
| 925 | 6.85 | 20 | 1360 | 6.15 | 69.30 | 2.347 | 3.167 |

After lapse of three days

| | | | | | | | |
|-----|-----|-----|-----|------|------|-------|-------|
| 542 | 9.3 | | 600 | 11.5 | 1.75 | 1.361 | 1.773 |
| 579 | 1.9 | 150 | 675 | 10.6 | 2.22 | 1.392 | 1.858 |
| 607 | 2.1 | | 725 | 10.0 | 2.44 | 1.389 | 1.888 |

RESULTS

| T | $\log \lambda$ | $\log \nu$ | $\log \nu_0$ | $\log \nu_0 - \log \nu$ | $\log \nu_0 - \log \nu - \log \lambda$ | $\log \nu_0 - \log \nu - \log \lambda - \log \nu$ | $\log \nu_0 - \log \nu - \log \lambda - \log \nu - \log \lambda$ |
|-----|----------------|------------|--------------|-------------------------|--|---|--|
| 649 | 2.7 | 150 | 810 | 9.25 | 3.79 | 1.376 | 1.920 |
| 654 | 2.5 | 103 | 920 | 9.17 | 2.88 | 1.282 | 1.900 |
| 706 | 2.8 | 105 | 915 | 8.41 | 3.33 | 1.332 | 1.985 |
| 715 | 3.1 | 935 | 935 | 8.27 | 3.60 | 1.592 | 2.015 |
| 751 | 3.9 | 1000 | 1000 | 7.87 | 4.44 | 1.438 | 2.095 |

Since $\lambda = 2.87 \times 10^{-4}$ cm

$$\lambda = \frac{h \nu}{kT}$$

$$= \frac{6.62 \times 10^{-27} \times \nu}{1.38 \times 10^{-23} \times T}$$

where $h =$ Planck's constant $= 6.62 \times 10^{-27}$ erg sec

Also $\log \nu_0 = \log \frac{c}{\lambda_0} = \log \frac{3 \times 10^{10}}{\lambda_0}$

Hence having determined the values of ν_0 and λ_0 , the constants A_1 and A_2 may be calculated, taking points on the graph within the curves, draw first one and then another work function produced.

To determine A_1 ,

$T = 1203^\circ \text{C}$
 $\nu = 41.10 \times 10^7$ wave.

To determine A_2 ,

$T = 1133^\circ \text{C}$
 $\nu = 7.33 \times 10^7$ wave.

To determine A_3 ,

$T = 403^\circ \text{C}$
 $\nu = 1.55 \times 10^8$ wave.

| POSITION OF CURVE | A_1 | A_2 | A_3 |
|--|-------|-----------------------|-----------------------|
| $\log \nu_0$ | 0.073 | 0.01 | 0.20 |
| $\log \nu \times 10^{-4} \text{ } ^\circ \text{C}$ | 2.01 | 1.43 | 2.51 $\times 10$ |
| $\log \nu \times 10^{-4}$ wave | 2.76 | 1.98 | 2.51 $\times 10$ |
| λ_0 $\text{A} \times 10^4$ | 7.130 | 10.000 | 20.600 |
| Work function constant | 1.438 | 4.39×10^{-4} | 3.58×10^{-5} |

RESULTS

$$C = A_1 T^{\frac{1}{2}} e^{-\frac{b_1}{T}}$$

$$\log_e C = \log_e A_1 - \frac{1}{2} \log_e T - \frac{b_1}{T}$$

$$\text{or } \log_{10} \frac{C}{T^{\frac{1}{2}}} = \log_{10} A_1 - \frac{\phi}{kT}$$

$$\text{Hence } \phi = \frac{\text{slope} \times 10^4 \times 1.37 \times 10^{-16}}{\log_{10} e} \text{ ergs}$$

$$\text{Since } k = 1.37 \times 10^{-16} \text{ ergs/}^\circ\text{C}$$

$$\begin{aligned} \text{Then } \lambda_c &= \frac{3 \times 10^{10}}{v_e} \\ &= \frac{3 \times 10^{10} \times h}{\phi} \end{aligned}$$

where h = Planck's constant = 6.547×10^{-27} ergs sec.

$$\text{Also } \log_{10} A = \log_{10} \frac{C}{T^{\frac{1}{2}}} + \frac{b_1}{T} \log_{10} e$$

Hence having determined the values of b_1 and b_2 the constants A_1 and A_2 may be calculated, taking points on the graph within the ranges, where first one and then another work function predominates.

To determine A_1

$$\begin{aligned} T &= 1308^\circ\text{C} \\ C &= 41.10 \times 10^{-7} \text{ amps.} \end{aligned}$$

To determine A_2

$$\begin{aligned} T &= 1135^\circ\text{C} \\ C &= 7.33 \times 10^{-7} \text{ amps.} \end{aligned}$$

To determine A_3

$$\begin{aligned} T &= 405^\circ\text{C} \\ C &= 0.35 \times 10^{-7} \text{ amps} \end{aligned}$$

| PORTION OF CURVE | AA_1 | AB | CD |
|---|--------|-----------------------|-----------------------|
| SLOPE | 0.875 | 0.62 | 0.30 |
| $b \times 10^{-4} \text{ }^\circ\text{C}$ | 2.01 | 1.43 | 6.91×10^{-1} |
| $\phi \times 10^{12} \text{ ergs}$ | 2.76 | 1.96 | 9.46×10^{-1} |
| $\lambda_c \text{ A.U.}$ | 7,120 | 10,000 | 20,800 |
| Multiplying constant | 0.033 | 4.59×10^{-4} | 3.58×10^{-5} |

Figure V

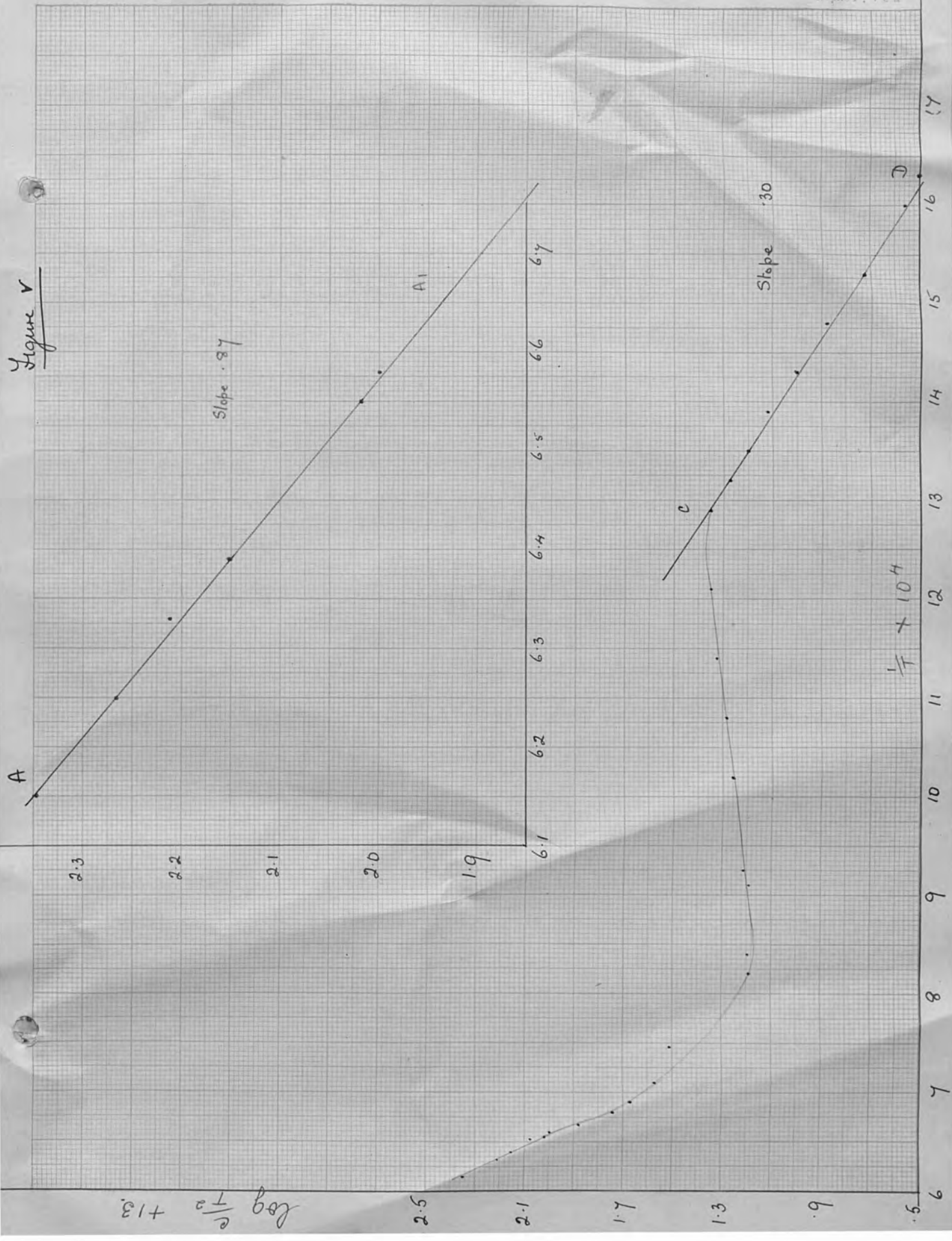
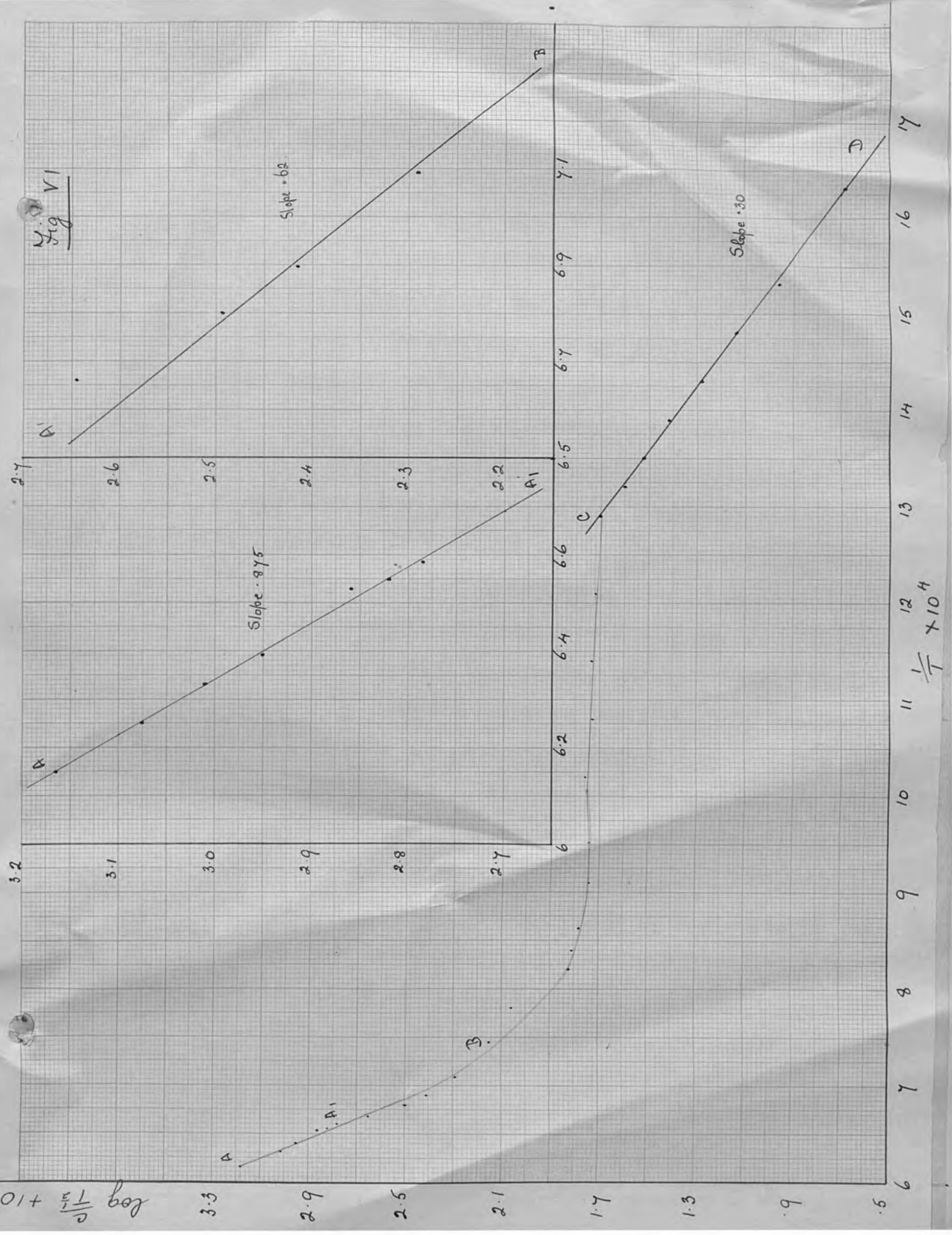


Fig VI



filament was gradually increased, the Wheatstone balance being readjusted continually until the crystal, which was viewed through a microscope melted. The graph obtained by plotting the melting point against the resistance in the variable arm of the box was a straight line (Figure 4)

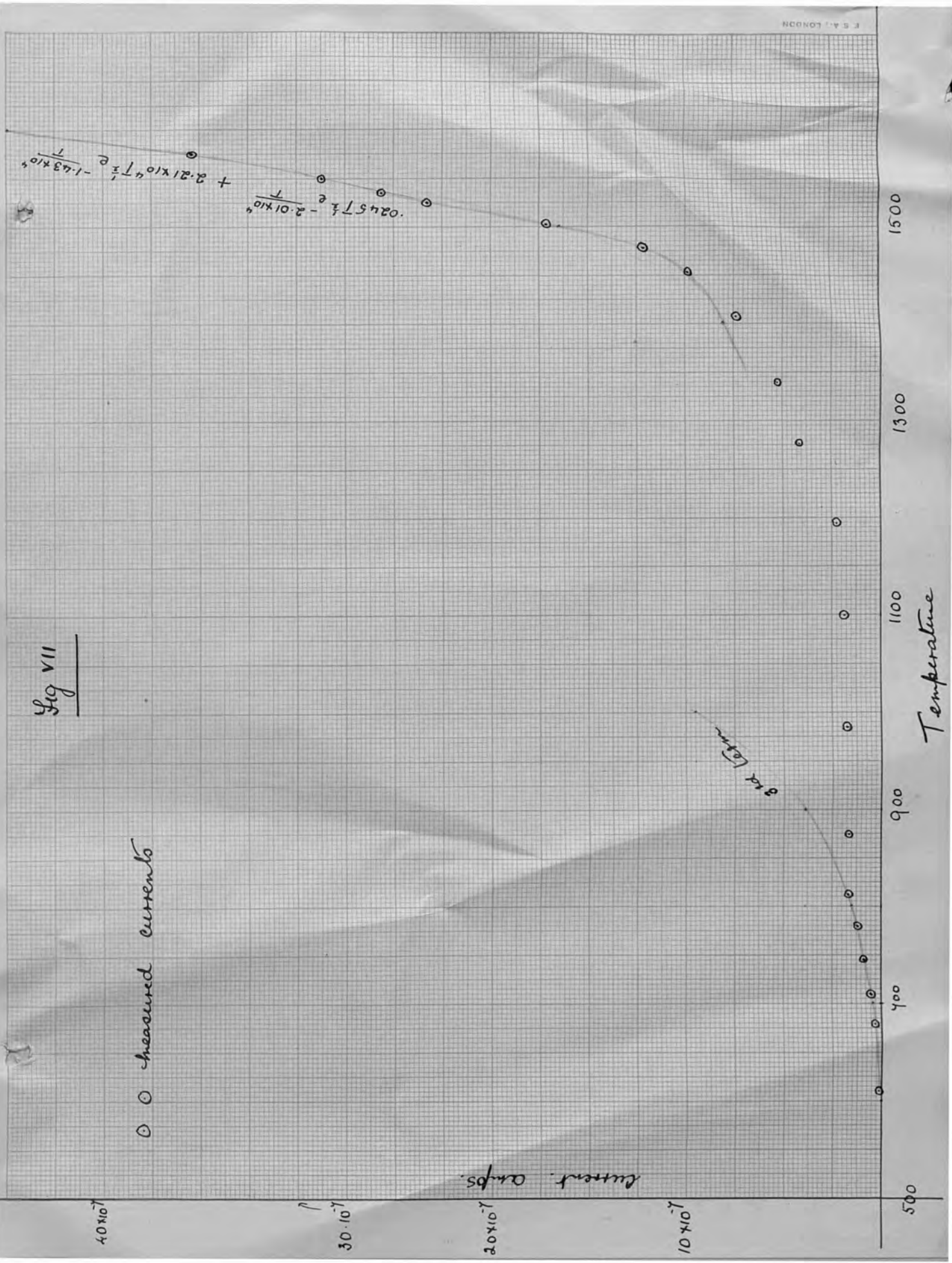
Having determined the temperatures and corresponding currents graphs were plotted between $\log C / T^2$ and $1/T$ and also between $\log C / T^{1/2}$ and $1/T$ (Figures 5 and 6). In both cases nearly all the points lie on three straight lines, and the slopes of the portions AA, A,B and CD are the same in both graphs. The intermediate portion BC, however, is rather different. When taking $\log C / T^2$ we have a line BC sloping downwards from left to right, while in the other case the central line is very nearly horizontal, but has a slight downward slope from left to right. This central portion corresponds to the almost horizontal part of the current - temperature curve in Figure 3 and this does not appear to be very stable. The currents in this region gradually increased with time, not becoming absolutely constant until about three days after the potassium mirror had been deposited. Using readings obtained after this lapse of time the general characteristics of this central part of the logarithmic curves are unaltered but the slopes are slightly different. The slope of the part BC of both $\log C / T^2$ against $1/T$ and $\log C / T^{1/2}$ against $1/T$ is very small compared with the slopes of the lines AA, and CD i.e. .013 as compared with .675 and .30.

The results obtained show that potassium has at least two, possibly three work functions, corresponding to critical wave lengths at 7,100 A.U., a more doubtful one at 10,000 A.U. and one at 21,000 A.U. and so the relation governing the photo-electric current can be approximately represented by

$$C = A_1 T^n e^{-\frac{G_1}{T}} + A_2 T^n e^{-\frac{G_2}{T}} + A_3 T^n e^{-\frac{G_3}{T}}$$

Fig VII

○ ○ measured currents



40x10⁻⁷

30x10⁻⁷

20x10⁻⁷

10x10⁻⁷

500

900

1100

1300

1500

or putting in the numerical values

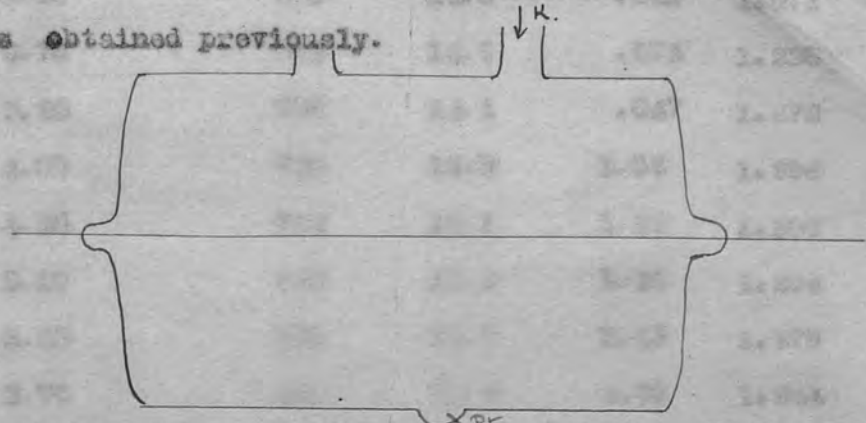
$$C = .039 T^{\frac{1}{2}} e^{-\frac{2.01 \times 10^4}{T}} + 4.59 \times 10^{-4} T^{\frac{1}{2}} e^{-\frac{1.43 \times 10^4}{T}} + 3.58 \times 10^{-5} T^{\frac{1}{2}} e^{-\frac{6.91 \times 10^5}{T}}$$

at low temperatures, where the first terms are negligible compared with the third. At higher temperatures the first term alone is necessary and indeed the third term gives currents of a greater order of magnitude than those measured. Consequently it seems as though the low work function must cease to exist, in the neighbourhood of the flat part of the logarithmic curves. The presence of the work function at 10.000A.U. and thus of the second term seems rather doubtful, but it may exist since the part BAA of the logarithmic ^{curves} can also be represented by the sum of the first two terms, if the multiplying constants A and A are altered in a suitable manner. In Figure VII are plotted the curves obtained by calculating values of the third term and then of the sum of the first two terms with the new constants for a few temperatures, showing also the measured current values. These curves show that the third term cannot be included when calculating the currents at higher temperatures and that the flat part of the current - temperature curves lies between the two calculated curves.

The constant A_3 , multiplying the term with the largest work function is 1.1×10^3 times as great as A_2 . The above results support the theory of multiple work functions put forward by Richardson and Young (Proc. Roy. Soc. A 1925). Evidently the area associated with the greatest work function is very many times the area associated with the smaller work functions. The hysteresis effects noted in these experiments and in those of Richardson and Young may be due either to small variations of one or more work functions or to the variation of the areas associated with the work functions, especially while the lowest value of ϕ is disappearing.

Further Experiments on the Threshold Frequencies of Potassium

It was felt to be a little doubtful if the radiation from the filament at the low temperatures was really black body radiation. Consequently the experiments described above, were repeated with slightly different apparatus in order to test the values of the work functions obtained previously.



A glass cylinder with a platinum wire sealed through the side and two side tubes was covered on the inside with a thick film of silver, formed by reducing a solution of silver nitrate. The inner surface of the silver was found to be bright after being rinsed out with water several times. The ends of the cylinder had been drawn down to narrow tubes and through these the axial platinum filament was sealed after the silvering of the cylinder, so that the filament and the silver film were not in contact. As before the potassium was run into a side tube so as not to touch the silver film and the tube sealed off from the pumps.

The film was connected to one terminal of the galvanometer ^{C₁} in diagram 3. No deflection of the galvanometer occurred with the maximum filament current, when the film was negative with respect to the filament, so no emission of positive ions from the filament could be detected with the apparatus used. The potassium was then run down into the tube and heated to deposit it in a thin layer over the silver. Neither was any thermionic emission from the potassium detectable, since even with the largest filament currents, the galvanometer image returned immediately to zero on suddenly switching off the filament current.

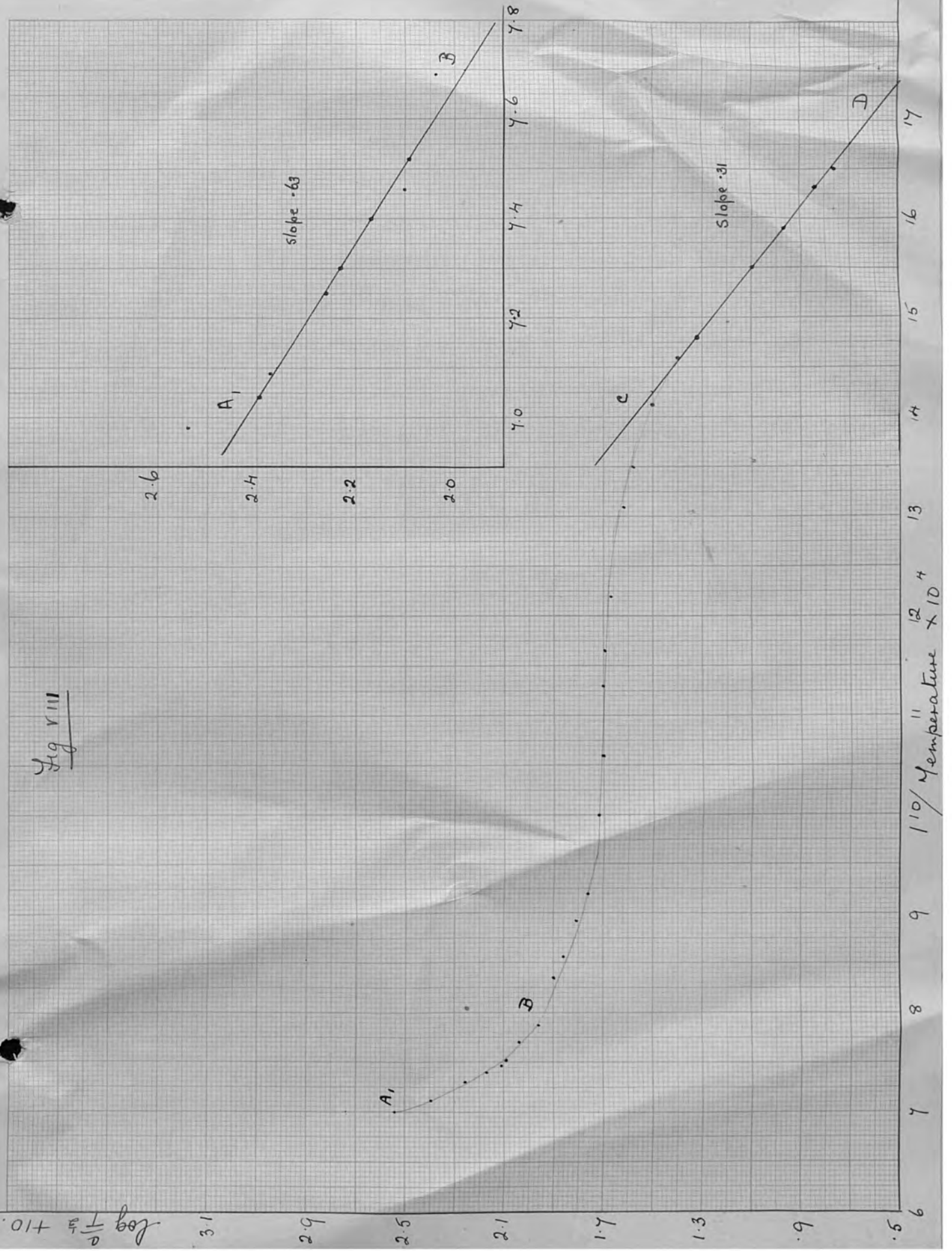
As before the photo-electric current - filament resistance curve showed an initial rise, and the logarithmic curve (Figure 8) showed

Readings

| Resistance ohms | Deflection cms. | Shunt ohms | Temperature abs. | $\frac{1}{T} \times 10^4$ | Current $\times 10^4$ amps | $10^5 \frac{C}{T^2}$ +13 | $10^5 \frac{C}{T^2}$ +10 |
|--------------------|--------------------|---------------|---------------------|---------------------------|----------------------------------|-----------------------------|-----------------------------|
| 2955 | .55 | | 603 | 16.5 | .141 | .589 | .739 |
| 2969 | .70 | | 613 | 16.3 | .168 | .650 | .831 |
| 3052 | 1.00 | | 628 | 15.9 | .243 | .790 | .987 |
| 3120 | 1.30 | | 645 | 15.5 | .321 | .887 | 1.102 |
| 3243 | 2.20 | | 676 | 14.8 | .541 | 1.071 | 1.318 |
| 3270 | 2.70 | | 683 | 14.6 | .673 | 1.238 | 1.411 |
| 3387 | 3.35 | | 708 | 14.1 | .847 | 1.272 | 1.502 |
| 3505 | 4.00 | | 738 | 13.5 | 1.02 | 1.296 | 1.575 |
| 3600 | 4.55 | | 763 | 13.1 | 1.15 | 1.300 | 1.619 |
| 3700 | 5.20 | | 823 | 12.2 | 1.35 | 1.294 | 1.673 |
| 4000 | 5.55 | | 858 | 11.7 | 1.45 | 1.279 | 1.695 |
| 4115 | 5.70 | | 868 | 11.3 | 1.50 | 1.244 | 1.702 |
| 4340 | 5.95 | | 943 | 10.6 | 1.56 | 1.220 | 1.706 |
| 4585 | 6.30 | | 1003 | 10.0 | 1.66 | 1.209 | 1.720 |
| 4920 | 7.20 | | 1063 | 9.26 | 1.90 | 1.234 | 1.762 |
| 5080 | 8.15 | | 1123 | 8.93 | 2.16 | 1.269 | 1.810 |
| 5235 | 9.52 | | 1166 | 8.55 | 2.54 | 1.294 | 1.871 |
| 5415 | 2.55 | 200 | 1203 | 8.33 | 2.78 | 1.298 | 1.904 |
| 5680 | 2.95 | | 1273 | 7.87 | 3.22 | 1.269 | 1.936 |
| 5820 | 3.55 | | 1303 | 7.69 | 3.97 | 1.411 | 2.041 |
| 5914 | 4.05 | | 1328 | 7.52 | 4.54 | 1.410 | 2.095 |
| 5978 | 4.60 | | 1343 | 7.45 | 4.63 | 1.410 | 2.102 |
| 6015 | 5.50 | | 1353 | 7.40 | 6.21 | 1.529 | 2.169 |
| 6090 | 5.65 | | 1373 | 7.30 | 6.37 | 1.529 | 2.235 |
| 6125 | 6.00 | | 1378 | 7.25 | 6.86 | 1.558 | 2.267 |
| 6220 | 7.80 | | 1408 | 7.09 | 9.08 | 1.661 | 2.374 |
| 6290 | 8.10 | | 1423 | 7.04 | 9.37 | 1.665 | 2.395 |
| 6340 | 11.25 | | 1433 | 6.98 | 13.23 | 1.809 | 2.543 |

no. 2 boy

Fig VIII



precisely the same features as those of Figures 5 and 6. The highest temperature used was 1200 C as compared with 1400 C in the earlier experiments and on referring to the earlier curves it is seen that between these temperatures only does the greatest value of φ predominate so the line of slope .87 is absent. The slopes of the lines AB and CD were found to be .63 and .51 which agree with the values found before. Also the flatter central part sets in and finishes at the same readings on the axes as it did in the previous curves. Again the central part BC is a little different when $\log C/T^2$ and when $\log C/T^{1/2}$ are used, although the slopes of the lines AB and CD are the same.

RESULTS

| Portion of curve | AB | CD |
|--|----------------------|----------------------|
| Slope | .63 | .51 |
| $b \times 10^{-4} \text{ } ^\circ\text{C}$ | 1.44 | .71 |
| $\varphi \times 10^{12}$ ergs | 1.99 | .98 |
| λ_c A.U. | 9,890 | 20,100 |
| Multiplying constant | 5.9×10^{-4} | 8.1×10^{-5} |

As before the measured currents can be represented by the sum of the terms at low temperatures, while the lowest work function must vanish at higher temperatures.

SUMMARY

No evidence has been found for the existence of a positive photo-electric emission and it has been shown that if such an effect does exist it is less than 10^{-7} times the negative emission, from the same surface measured in these experiments. It is shown that potassium has at least three work functions corresponding to the wave lengths 7,100 A.U. 10,000 A.U. and 21,000 A.U. The results indicate that the 'patches' of lower work function form a very small part of the whole surface.